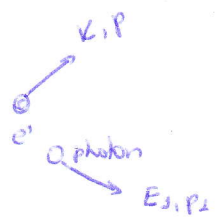
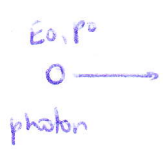
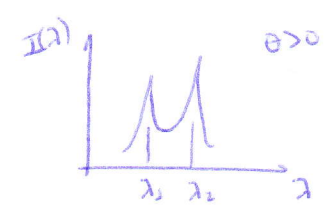
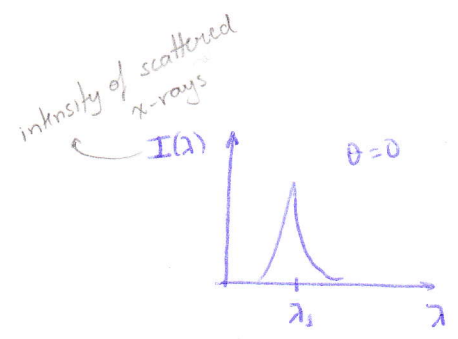
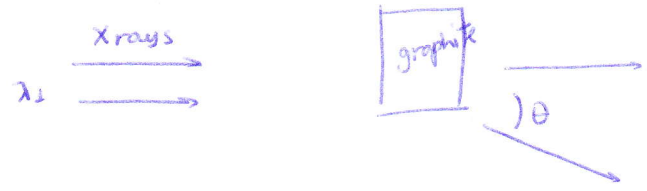


Compton Effect



incoming x-ray not a wave, but collection of photons with $E = h\nu$. They collide with free e^-

$\Delta\lambda = \lambda_2 - \lambda_1 \rightarrow$ Compton shift

classically: oscillating $\vec{E} \Rightarrow e^-$ oscillates at the same $\nu \Rightarrow$ can only explain λ_1

quantum effect

$$\lambda_2 - \lambda_1 = \frac{h}{mc} (1 - \cos\theta)$$

0.00243 nm

\rightarrow explains λ_2 (collision with free electrons) ($\theta > 0$)

$\lambda_1 \Rightarrow$ collision with electrons ($\theta = 0$)
strongly bound to atom
(electron not ejected)

collision between photon and atom

HW
3.34, 37, 38, 39

Exercise (X rays from TV)

e^- in TV: $K = 25 \text{ KeV}$

$\lambda_{\min} = ? \quad h\nu = K - K' \Rightarrow \frac{hc}{\lambda_{\min}} = K \Rightarrow \lambda_{\min} = \frac{1240 \text{ eV} \cdot \text{nm}}{25 \times 10^3 \text{ eV}} = 0.050 \text{ nm}$

(TV with protection against it)

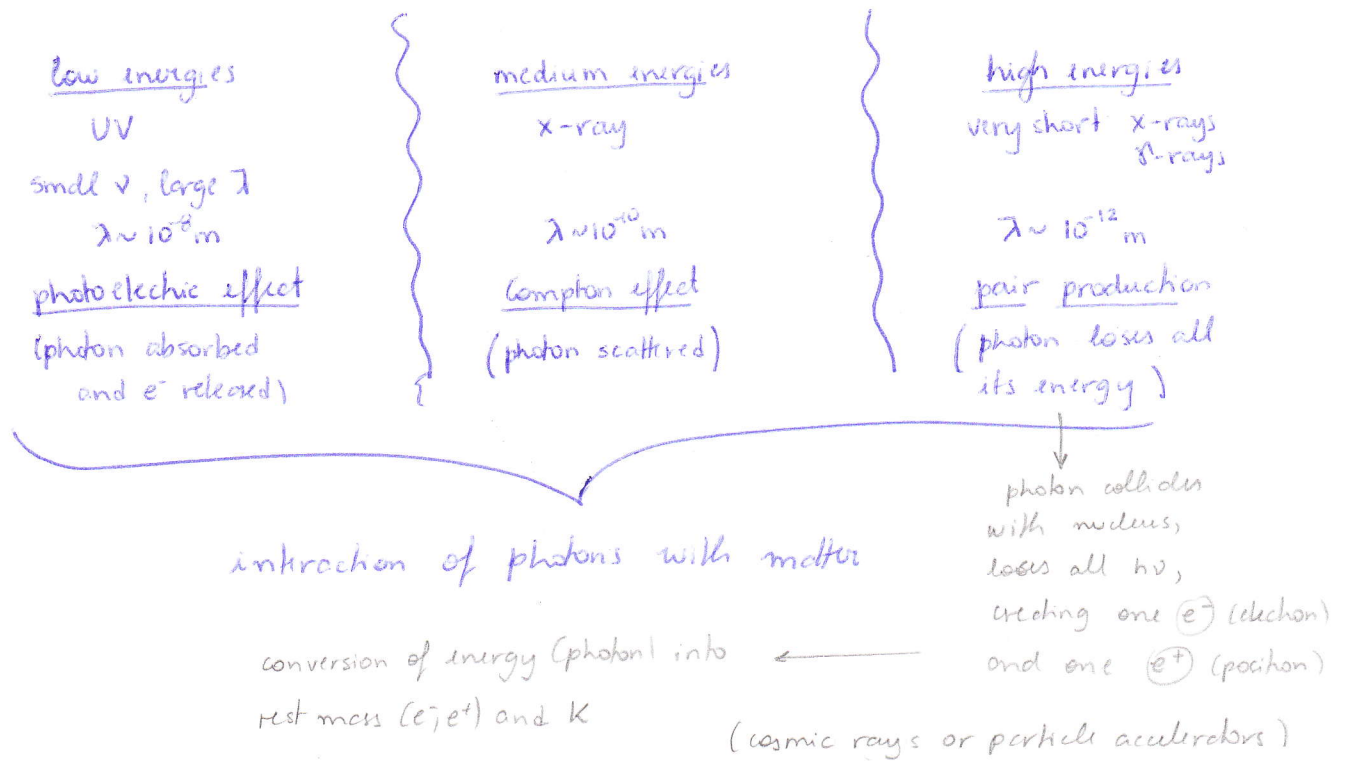
Exercise In Compton scattering we find that λ_1 is shifted by 1.5 percent when $\theta = 120^\circ$.

- a) $\lambda_1 = ?$
- b) what is λ_2 when $\theta = 75^\circ$

a) $\Delta\lambda = 1.5\% \lambda_1$

$\lambda_2 - \lambda_1 = 0.015 \lambda_1 = \frac{h}{mc} (1 - \cos 120) \Rightarrow \lambda_1 = \frac{0.00243 (1 - \cos 120)}{0.015} = 0.243 \text{ nm}$

b) $\lambda_2 - 0.243 = \frac{h}{mc} (1 - \cos 75) \Rightarrow \lambda_2 = 0.245 \text{ nm}$



Proton and anti-proton can also be created for higher energy photons.

o) in interaction with matter:

radiation \rightarrow localized particles
light \rightarrow photons

o) when propagating

radiation \rightarrow wave (diffraction, interference)
light

wave-particle DUALITY } also extends to other particles: e^- , atoms, etc
(Louis de Broglie)

Classical physics fails when ν is large; blackbody, Compton effect (λ is short)

\hookrightarrow relates to the size of h

$\left\{ \begin{array}{l} h\nu \text{ small } (\nu \rightarrow 0) \Rightarrow \text{indistinguishable from continuum} \\ h\nu \text{ large } (\nu \rightarrow \infty) \Rightarrow \text{quantum effects cannot be neglected} \end{array} \right.$