

1) Blackbody radiation  $\rightarrow$  discrete / quantized

$\rightarrow$  energy is DISCRETE

(Planck 1900)

Big Bang  
 $T = 2.725 \pm 0.002 \text{ K}$

2) Electric Charge is DISCRETE

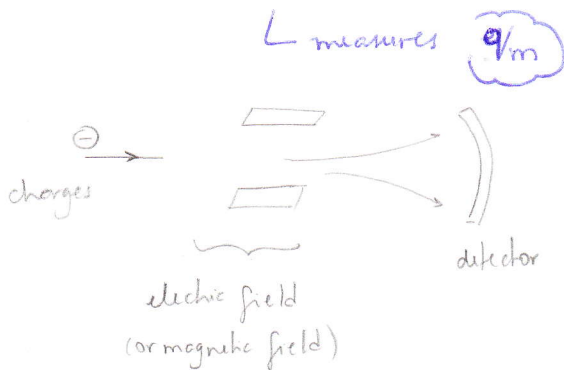
$\rightarrow$  Greek  
 $\rightarrow$  Democritus (450 B.C.) - matter is composed of atoms  
(tiny particles)

$\rightarrow$  Avogadro (1811) - all gases at T: same # of molecules per unit volume (NA)

$\rightarrow$  development of Kinetic theory (1900) - acceptance of molecular theory of matter

matter is quantized

$\rightarrow$  J.J. Thomson's experiment (1897)



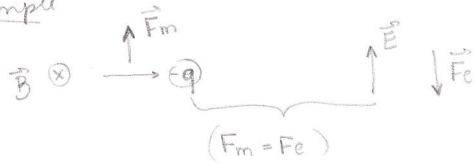
3) Newton's 2nd law

$$\underbrace{qvB}_{\text{magnetic force}} = m \underbrace{\frac{v^2}{R}}_{\text{centripetal acceleration}} \Rightarrow \boxed{\frac{q}{m} = \frac{v}{RB}}$$

4) to determine  $v$   
adjust  $\perp$  B and E fields  
 $\rightarrow$  particle undeflected

$$qvB = qE \Rightarrow \boxed{v = \frac{E}{B}}$$

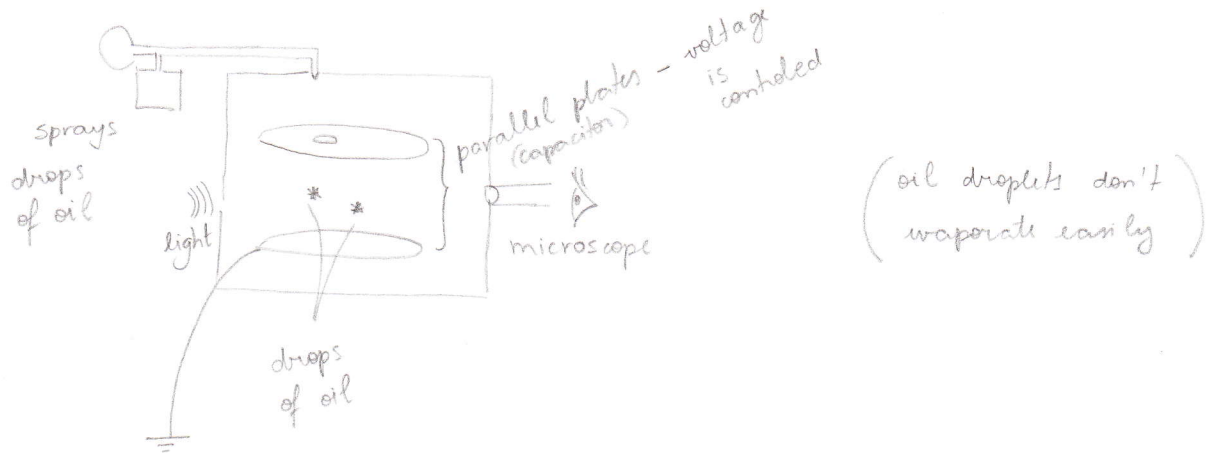
Example



$\rightarrow$  Millikan's experiment (1909)

$\rightarrow$  measures  $e$

# Millikan's experiment



We verify that the charge of each droplet is an integer number times the electron charge  
 (electric charge is quantized)

Assumption: oil-drops = spherical droplets of const  $m$

↳ gravitational force  $F_g = mg = \frac{4}{3} \pi r^3 \rho g$

$\rho$  ← density  
 $r$  ← radius

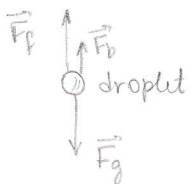
1st step:  
 (find  $r$ )  $\vec{E} = 0$ , a const velocity of fall is reached when

correction!  $F_g = F_f$  ← friction force given by Stoke's law

$F_f = 6\pi r \eta v$  ←  $\eta$  ← viscosity of air,  $v$  ← speed of droplet

BUT, because of the buoyant force  $F_b = m_f g = \frac{4}{3} \pi r^3 \rho_{air} g$

↳ mass of the fluid displaced



$$F_g - F_b = F_f \Rightarrow \frac{4}{3} \pi r^3 g (\rho - \rho_{air}) = 6\pi r \eta v_s$$

$$r^2 = \frac{9 \eta v_s}{2g(\rho - \rho_{air})}$$

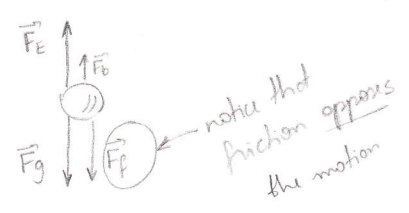
2nd step  
(find q)

$\vec{E} \neq 0$ , drop rises

$E = \frac{V}{d}$

we have control of the voltage  
 $d \leftarrow$  distance between plates

$F_E = qE$



Drop reaches const velocity when

$F_E + F_b = F_g + F_f$

$qE = \underbrace{(F_g - F_b)}_{\substack{6\pi r \eta v_1 \\ \text{from 1st step}}} + \underbrace{F_f}_{6\pi r \eta v_2}$

$$q = \frac{6\pi r \eta (v_1 + v_2)}{E}$$

HW (Tipler: 3.1, 3.2, 3.3, 3.4, 3.8, 3.11)